Numbers and Conversions Useful in EPR

Free electron g value $g_e = 2.0023193$

Boltzmann Constant $k = 0.69504 \text{ cm}^{-1} / \text{K}$

Calculating the **g** value from the frequency and magnetic field: $g = (h/\mu_B) v / H = 714.4775 \cdot v [GHz] / H [G] = 0.7144775 \cdot v [GHz] / H [kG]$ $g = (h/\mu_B) v / B = 0.07144775 \cdot v [GHz] / B [T] (1 T = 10^4 G)$

Converting a hyperfine constant A from Gauss (that is the splitting seen in a spectrum) to cm⁻¹ or MHz: A $[cm^{-1}] = (\mu_B / hc) \cdot g \cdot A [G] = 4.66864478 \times 10^{-5} \cdot g \cdot A [G]$ A $[cm^{-1}] = (\mu_B / hc) \cdot g \cdot A [mT] = 4.66864478 \times 10^{-4} \cdot g \cdot A [mT]$ (10 G = 1 mT)

 $A [MHz] = (\mu_B / h) \cdot g \cdot A [G] = 1.39962 \cdot g \cdot A [G]$ $A [MHz] = (\mu_B / h) \cdot g \cdot A [mT] = 13.9962 \cdot g \cdot A [mT] \qquad (10 \text{ G} = 1 \text{ mT})$ Note that the g value to which an EPR line belongs must be used in the conversion.

 $A [MHz] = A [cm^{-1}] \cdot 2.9979 \times 10^4$

Zero-Field Splitting parameters D, E and higher-rank parameters B_m ⁿ are often expressed in Gauss instead of cm⁻¹. This is convenient because the parameters expressed in Gauss can often be directly read out of the spectra. The conversion is:

 $D [cm^{-1}] = (g_e \cdot \mu_B / hc) \cdot D [G] = 9.34811756 \times 10^{-5} [cm^{-1}/G] \cdot D [G]$ $D [cm^{-1}] = (g_e \cdot \mu_B / hc) \cdot D [T] = 0.934811756 [cm^{-1}/T] \cdot D [T]$ (1 T = 10⁴ G)

Coefficient appearing in calculation of the dipolar interaction between electrons with the distance given in Ångstroms:

 $D_{dip} = -(\mu_0 \ \mu_B^2 \ / \ 4\pi) \times (3g^2 \ / \ r^3)$ $\mu_0 \ \mu_B^2 \ / \ 4\pi = 0.43297 \ \mathrm{cm}^{-1} \cdot \ \mathrm{\AA}^3$

Some numbers useful in calculations involving the magnetic susceptibility:

 $N\mu$ B = 5584.939 erg / Gauss in formulas for magnetization

 $N\mu B^2 = 0.26074 \text{ cm}^{-1}$ for calculating the Temperature Independent Paramagnetism (TIP, $N\alpha$)

 $N\mu B^2/3k = 0.1250486$ cgs emu · K appearing in the famous formula $\chi = (N\mu B^2/3kT) \cdot g^2 \cdot S(S+1)$

See also

https://www.nist.gov/pml/fundamental-physical-constants http://kirste.userpage.fu-berlin.de/chemistry/general/constants_en.html